

Optimal Resource Allocation in Downlink of a two cell OFDMA network

Dhananjaya Ponukumati

Eurecom

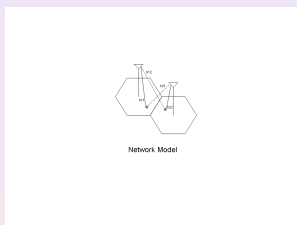
Outline

- 1 Introduction
 - Background
 - Network Model
 - Problem formulation
- 2 Analysis
 - Application of theory
 - Algorithm
- 3 Numerical Results
 - Simulation setting
 - Numerical Results (1)
 - Numerical Results (2)
 - Numerical Results (3)
 - Numerical Results (4)
- 4 Conclusions

Background

- resource allocation in OFDMA
 - subcarriers
 - power
- resource allocation in a single cell
 - disjoint resource allocation
 - joint resource allocation [Seong:06]
- multi cell networks
 - inter cell interference limits independent resource allocation
 - fixed frequency reuse
 - Random frequency reuse [Kiani:06]
 - **we propose joint resource allocation in the network**

Network Model



- K_1 users in cellA and K_2 users in cellB
- N subcarriers in each cell
- $p_{kn}^{(1)}, p_{jn}^{(2)}$ are powers allocated to user k in cellA and to user j in cellB respectively

Network Model (2)

- $h_{kn}^{(11)}, h_{jn}^{(22)}$ are direct channel gain in cellA and cellB respectively
- $h_{kn}^{(21)}, h_{jn}^{(12)}$ are interference channel gains in cellA and cellB respectively
- $r_k^{(1)}, r_j^{(2)}$ are rates of user k in cellA and user j in cellB respectively

Problem formulation

- Objective: Maximise sum rate of two cells with power constraints.

$$\max \sum_{n=1}^N \left(\sum_{k=1}^{K_1} r_{kn}^{(1)} + \sum_{j=1}^{K_2} r_{jn}^{(2)} \right)$$

Subject to

- OFDMA constraints: Each subcarrier is allocated to a single user in a cell $p_{in}^{(1)} p_{jn}^{(1)} = 0 \forall i \neq j$ and also $p_{in}^{(2)} p_{jn}^{(2)} = 0$
- Total power constraints
 - power allocated in cellA is less than the P_{tot}
 - power allocated in cellB is less than the P_{tot}

Application of Lagrange dual theory

- primal objective function

$$\max \sum_{n=1}^N \left(\sum_{k=1}^{K_1} r_{kn}^{(1)} + \sum_{j=1}^{K_2} r_{jn}^{(2)} \right)$$

- constraints

- Each subcarrier in a cell should be used by a single user
- total power allocated in each cell is less than the P_{tot}

- Construct the Lagrangian with lagrange multipliers
- Dual objective is unconstrained maximum of the Lagrangian is $g(\alpha_1, \alpha_2)$
- Minimise Dual objective $g(\alpha_1, \alpha_2)$ and $\alpha_1 > 0, \alpha_2 > 0$

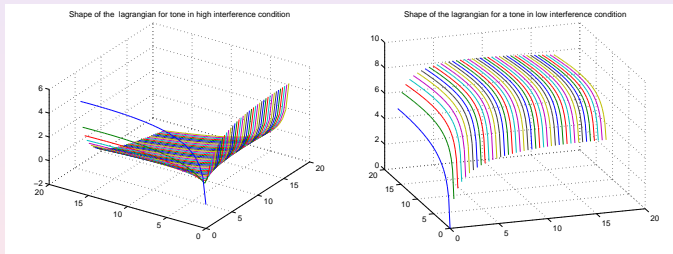
Algorithm

- Initialise α_1, α_2 to large value.
- while ((power consumed in cell1 < total power) and (powerconsumed in cell2 < total power))
 - For all the subcarriers
 - Choose the best user combination among of $K_1 * K_2$
 - end
- Minimise dual objective $g(\alpha_1, \alpha_2)$ with gradient search method.

Simulation setting

- Frequency non selective Rayleigh fading
- $K_1=2; K_2=2; N=8$
- Standard deviation of channel coefficients:
 $h_{11}=1; h_{22}=1; h_{12}=0.1; h_{21}=0.1$

Profile of the lagrangian for a subcarrier



Comparison of power allocation for different schemes for N=8 and N=16

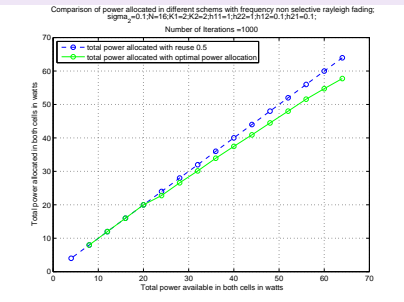
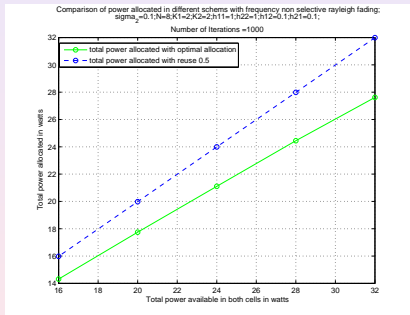


Figure: Comparison of power allocation for different schemes for N=8 and N=16

Numerical Results (3)

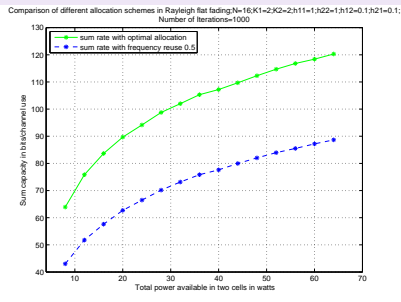
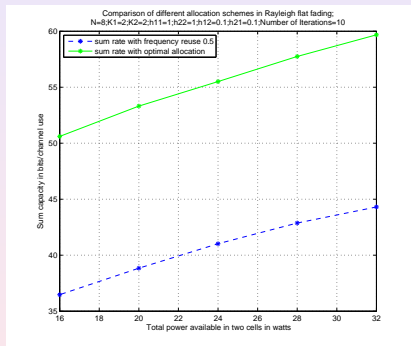


Figure: Comparison of sum rate for different schemes for $N=8$ and $N=16$

Numerical Results (4)

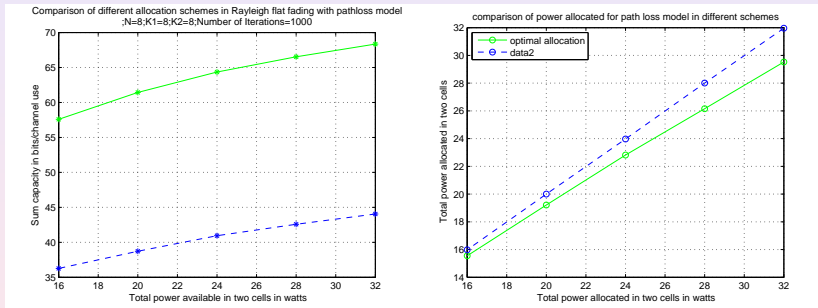


Figure: Comparison of sum rate for different schemes in a pathloss model

Conclusions

- Proposed scheme shows significant gains compared to fixed frequency reuse
- Soft frequency reuse
- Distributed schemes should be explored



Kibeom Seong, Mehdi Mosheni, and John Cioffi. *Optimal Resource Allocation of OFDMA Downlink Systems*, IEEE International Symposium on Information Theory, Seattle, USA, 2006.



Anders Gjendemsjø, David Gesbert, Geir Ø E.ien, and Saad G. Kiani. *Optimal Power Allocation and Scheduling for Two-Cell Capacity Maximization*, 2006.



Saad Kiani, Geir Øien, and David Gesbert. *Maximizing Multicell Capacity Using Distributed Power Allocation and Scheduling*, IEEE WCNC, Hong Kong, China, March 2007.